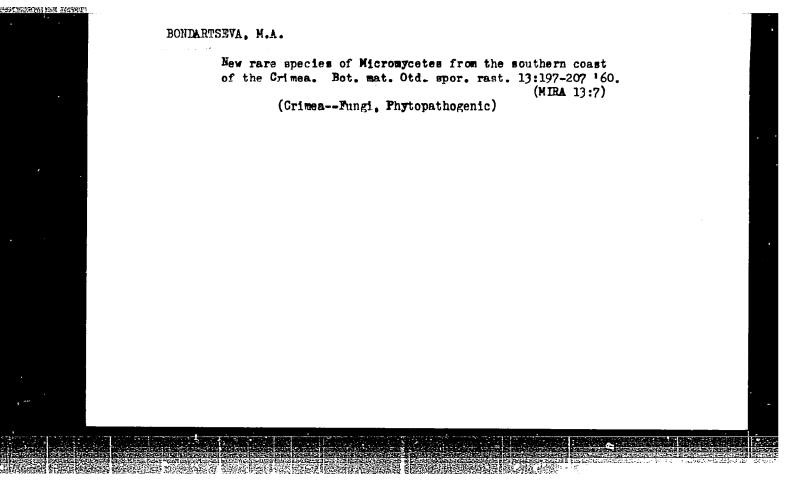
SINADSKIY, Yu.V.; BONDARTSEVA, M.A.

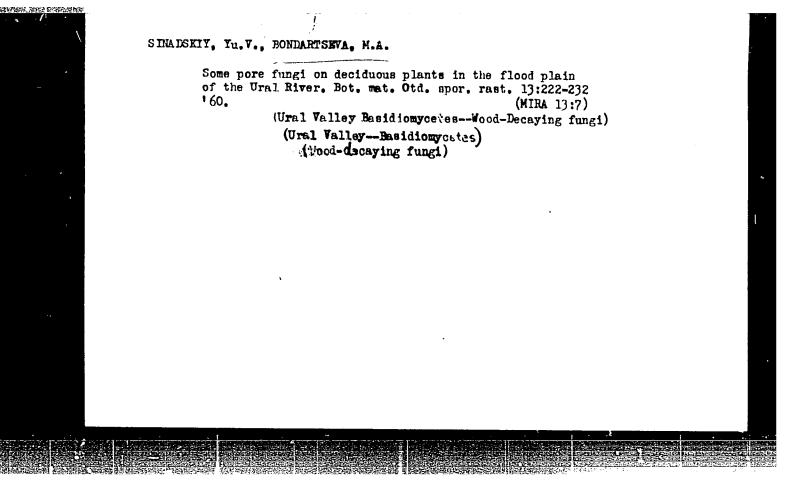
Diseases of trees and shrubs in tugai forests of the Syr Darya Valley. Bot. shur. 45 no.3:423-429 Mr 160.

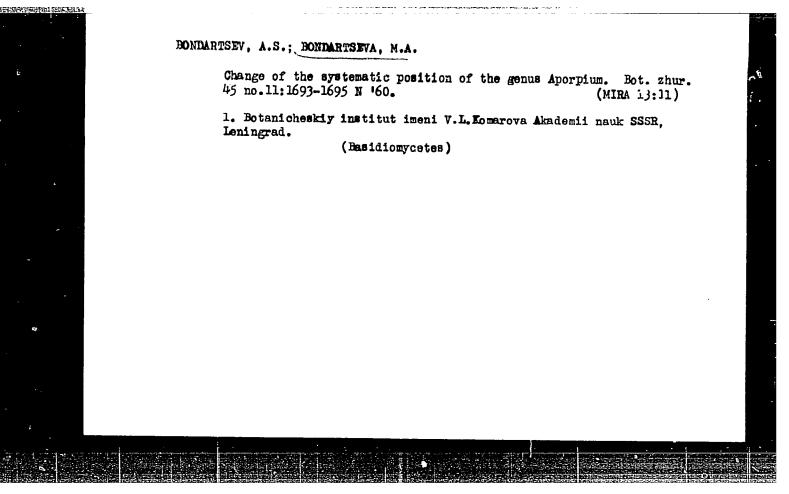
(MIRA 13:6)

1. Botanicheskiy institut im. V.L. Komarova Akademii nauk SSSR, Leningrad.

(Trees-Diseases and pests)
(Shrubs-Diseases and pests)
(South Kazakhstan Province-Fungi, Phytopathogenic)







Critical review of latest classifications of the family Polygoraceae. Bot. zhur. 46 no.4:587-593 Ap '61. (NIRA 14:3)

1. Botanicheskiy institut im. V.L.Komarova Akademii nauk SSSR;
Leningrad. (Polyporaceae)

SINADSKIY, Yu.V.; BONDARTSEVA, M.A.

Bracket fungi of the "Krasnyi les" hunting grouds in Krasnodar
Territory. Bot.zhur. 47 no.1:55-67 Ja '62. (MIRA 15:2)

1. Biologicheskoye otdeleniye AN SSSR, Moskva i Botanicheskiy
institut imeni V.L.Komarova AN SSSR, Leningrad.

(Krasnodar Territory—Polyporaceae)

Anatomic criterion in the taxonomy of Aphyllophorales, Bot. zhur. 48 no.3:362-372 Mr '63. (MIRA 16:4) 1. Botanicheskiy institut imeni V. L. Komarova AN SSSR, Leningrad. (Fungi-Anatomy) (Hymenomycetes)

BONDARTSEV, A.S.; BONDARTSEVA, M.A.

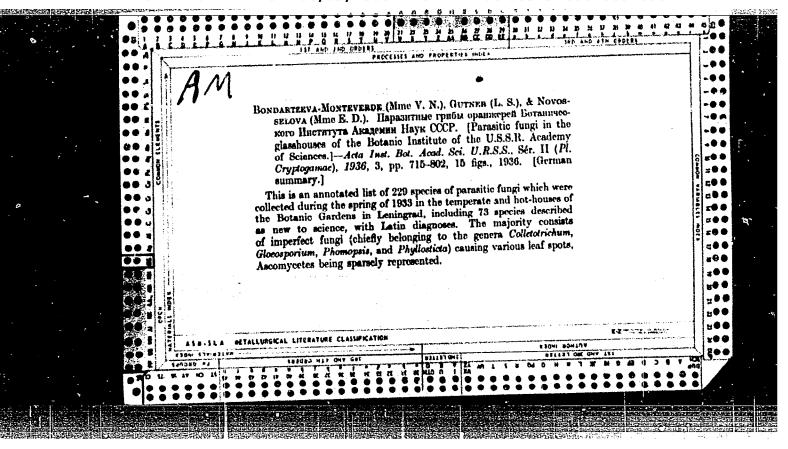
Albert Pilat; on his 60th birthday. Bot. zhur. 48 no.10:1549-1552 (MIRA 17:1)

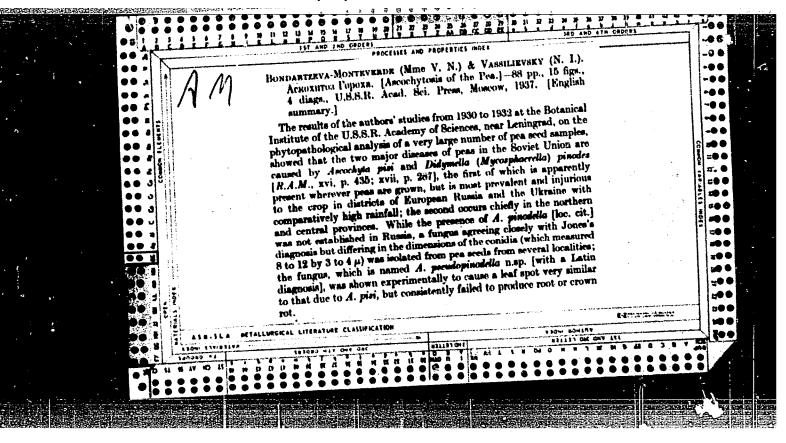
1. Botanicheskiy institut imeni Komarova AN SSSR, Leningrad.

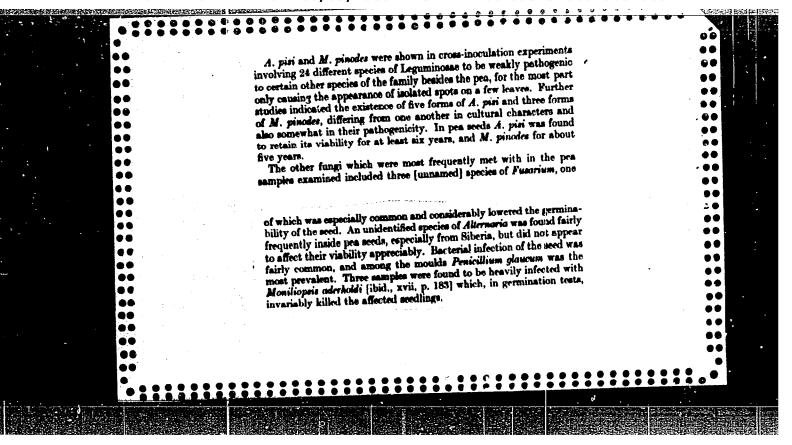
BONDARTSEVA-BOUTEVE DE, V. N. and Vassilyevskiy, h. 1.

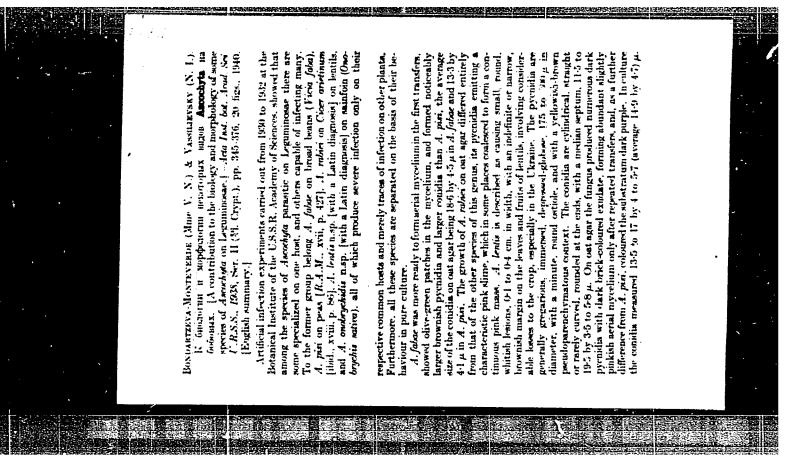
Ascochytesth of the rea and other Legumes, Bolozni Bustanii, Vestnik Otiela Fitopatalogii Glavnogo Botanicheskogo Sada SSSR, vol. 19, nc. 1-2, 1930 pp, f-11. 464, f Zó

SO - SIRA SI 90-53, 15 December 1953



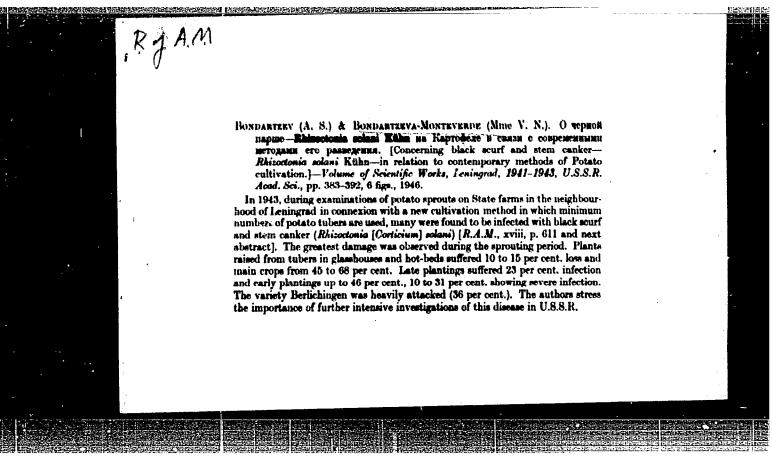


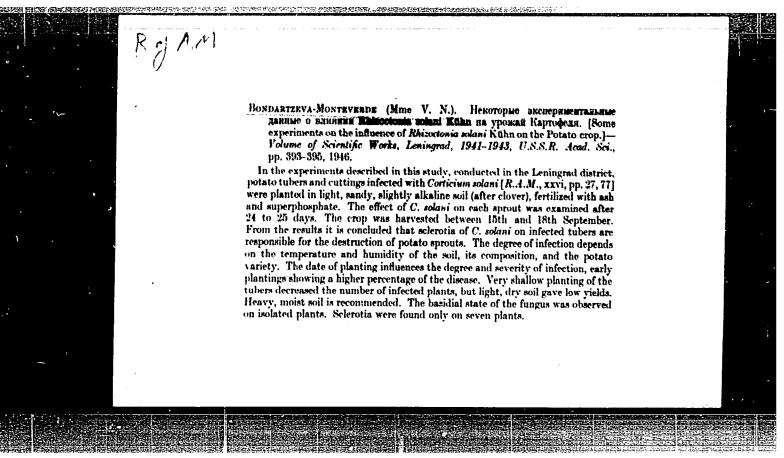






which also infects clover, although both only slightly; and probably A. sojacoda [ibid., xi, p. 88]. An intermediate position with regard to latter also undergoing a longer incubation period in the bost. The descriptions of all species studied are illustrated by drawings of the communis, belonging to the Compositae; A. medicaginis Fuck. [ibid., xviii, p. 320], thought to be a synonym of A. imperfecta [ibid., xvii. p. 13], to which several species of Medicago were susceptible; a species host specialization was occupied by Didymella [Mycosphoerella] pinodes nous plants slightly, but peas more severely than Joes A. pisi, the The plurivorous group was represented by A. phasedorum, which of Assochyte on Orobus versus (not yet named pending further studies) with its conidial stage A. pisodes), which infected a number of legumiwith an ostiole 20 to 30 μ in diameter; on the leaves they are light brown, sparse, immersed, and measure 115 to 250 μ in diameter. The conidia are cylindrical, with rounded ends, usually uni- but sometimes bi- or triseptate, not at all or slightly constricted, 13-5 to 20 by 4-5 to 6 (average 17 by 52) μ . In pare culture the fungus on the whole resembled A. pan, but was more ready to form aerial myrelium and produced noticeably larger pycnidia, the conidia on out agar measuring on an average 154 by 4-9 µ. A. orobi Sacc. var. onobrychidis Prill. & produced only slight infection both on its common host, beans (Phaseohus raigarie), and on a number of other leguminous plants as well as Lapsena to attack mainly the stems, on which it produces elongated, uchraceous or brownish lesions with a narrow, dark margin; on the leaves the spota dark brown margin. The pyenidia on the stems may be scattered, densely aggregated, or even sometimes cualescent, depressed-globose, A. onchrychidis, collected in the Ukraine and the Caucasus, is stated are usually small, more or less munded, ochraceoua, with a narrow. dark brown to black, and slightly prominent. 115 to 120 µ in diameter, Delacr. is cited as a synonym.

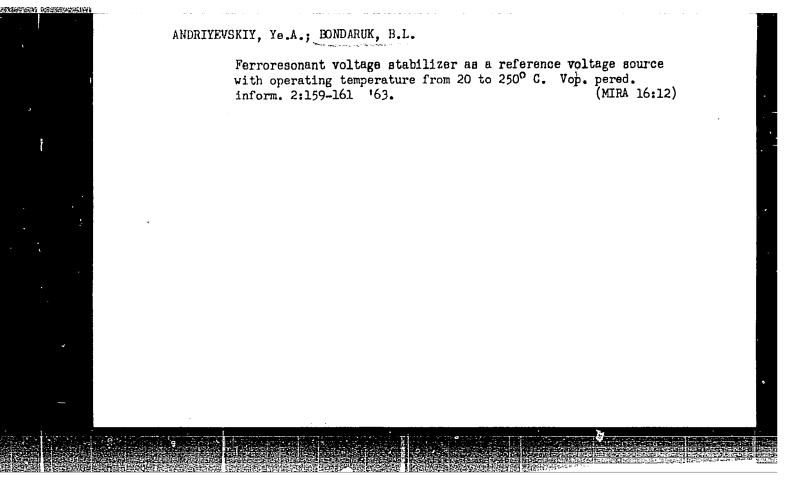




1.	BONDARTSEV,	A.S.;	BONDARTSEVA-MONTEVERDE,	V.N.
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- 2. USSR (600)
- 4. Fungi
- 7. Species of the genus Accochyta on Astragalus, A.S. Bondartsev, V.N. Bondartseva-Monteverde, Bot.mat.Otd.spor.rast. 8, 1952.

9. Monthly List of Russian Accessions, Library of Congress, ARIL 1953, Uncl.



ACCESSION NR: AT4043980

S/3106/64/000/008/0086/0089

AUTHOR: Andriyevskiy, Ye. A., Bondaruk, B. L.

TITLE: Residual effects of temperature changes in permalloy alloys

SOURCE: AN UkrSSR. Fiziko-mekhanicheskiy institut. Avtomaticheskiy kontrol' i izmeritel'naya tekhnika, no. 8, 1964, 86-89

TOPIC TACS: permalloy, alloy magnetic property, alloy inductance, alloy coercive force, cyclic heating, thermal stress

ABSTRACT: When alloys of the permalloy type are subjected to cyclic heating, two types of change in magnetic properties may be produced, depending on the temperature and rate of cooling: reversible changes which disappear after heating is discontinued, and permanent or residual changes. In the present paper, the authors investigate the changes in saturation inductance, residual inductance and coercive force produced in alloys 79NMA, 77NMD, 34NKMP, 35NKKhSP and 37NKDP by cyclic heating and cooling to temperatures of to 400C. In each case, the alloy was kept at the selected temperature for 1 hr. and then cooled at a rate of 200-250C/hr. Measurements were made by a ballistic method. The results showed that no residual changes in magnetic properties appear at temperatures up Card 1/3

CIA-RDP86-00513R000206310002-7" **APPROVED FOR RELEASE: 06/09/2000**

ACCESSION NR: AT4043980

to 350C. At 400C, as shown in Fig. 1 of the Enclosure, the magnitude of the residual changes depends on the number of cycles. In general, the residual charges are more marked in alloys such as 34NKMP, 35NKKhSP and 37NKDP, with a rectangular dynamic loop, than in 79NMA and 77NMD with the usual type of loop. Alloy 37NKDP showed a tendency to change the initial shape and the loop. Orig. art. has: 4 figures.

ASSOCIATION: Fiziko-mekhanicheskiy institut AN UkrSSR (Institute of Physics and Mechanics, AN UkrSSR)

SUBMITTED: 00

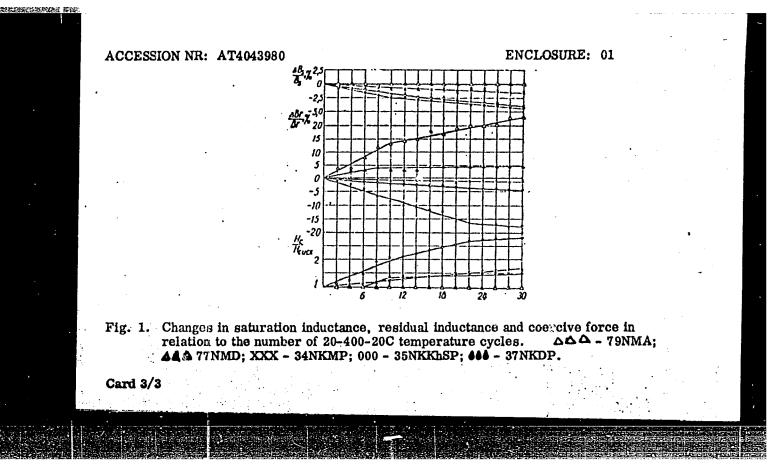
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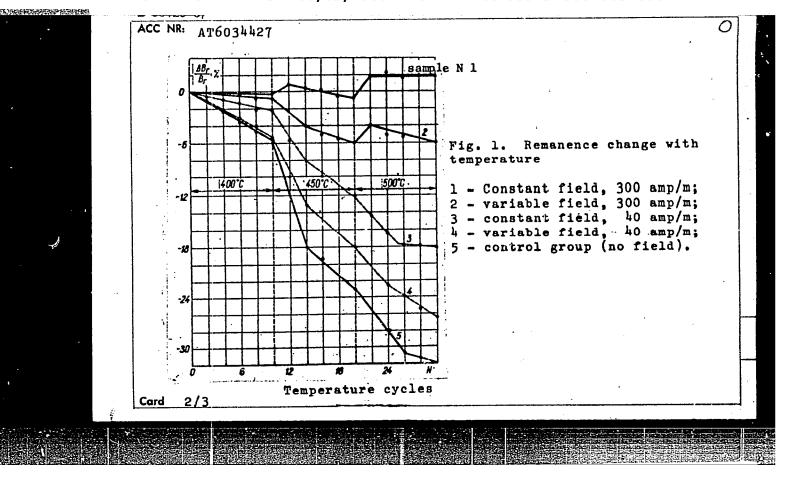
EVIT (m)/EWP(w)/EVIA(d)/I/EWP(t)/EWP(z)/EWP(b) MJW /JD ACCESSION NR: AT5014633 UR/0000/65/000/000/0189/0193 681,142,324 AUTHOR: Andriyevskiy, Ye. A.; Bondaruk, B.L. TITLE: Influence of temperatures between -200 and +500C on the initial propertie Permalleys 5 SOURCE: Vsesovuznove soveshchanive po magnitnym elementam avtomatiki i vychislitel noy tekhniko. 9th, Yerevan, 1963. Magnitnyye analogovyya elementy (Magnetic analog elements); doklady soveshchaniya. Moscow, Izd-vo Nauka, 1965, 189-193 TOPIC TAGS: Permalloy temperature stability, temperature-induced magnetic change, Permalloy magnetic property, residual magnetiem ABSTRACT: In their earlier work, the authors neglected to investigate the residual temperature influences in Permalloys (Sb. Aytomaticheskiy kontrol' i izmeritel'naya tekhnika, no. 7, Kiev, Izd-vo AN UkrSSR, 1963). The present study therefore deals specifically with the irreversible changes in magnetic properties of Permalloys and established temperature limits beyond which residual changes appear. It also establishes the dependence of these changes on the temperature and the number of cycles, and investigates possible ways for the stabilization of various alloys against the effects of

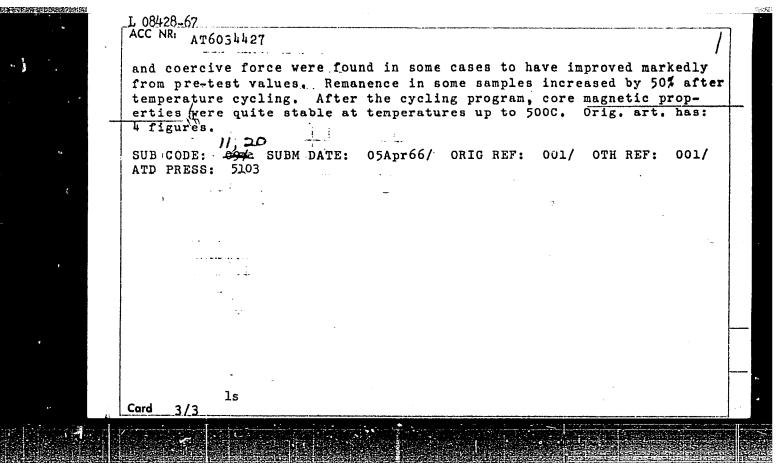
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temperaturo	cycles. Comprehensive data	a refer to the behavior, within the -20 lloys <u>79NMA, 77NMD</u> , <u>34NKMP</u> , <u>35N</u> and thermal processing on the form of	toroidal 6
	d 68NMP prepared by stands orig. art chas: 6 figures.	a refer to the behavior. 34NKMP, 35N lloys 79NMA, 77NMD, 34NKMP, 35N lloys 79NMA the form of ard thermal processing in the form of	
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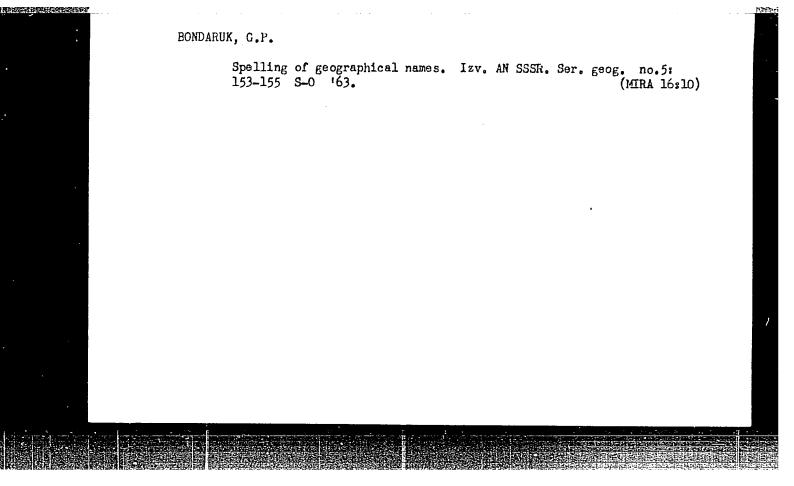
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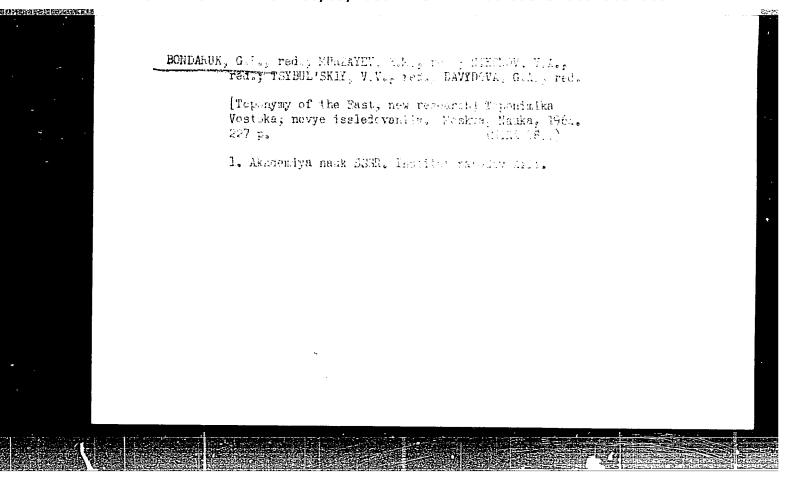
L 08428-67 EWI(m)/EWP(w)/EWP(t)/ETI IJP(c) JD/GD ACC NR: AT6034427 SOURCE CODE: UR/0000/66/000/000/0085/0092 ACC NR: AT6034427 AUTHOR: Bondaruk, B. L. (L'vov) 8+1 ORG: none TITLE: Temperature-induced changes in Permalloys SOURCE: AN UkrSSR. Termostoykiye radiotelemetricheskiye sistemy (Heat resistant radiotelemetering systems). Kiev, Naukova dumka, 1966, 85-92 TOPIC TAGS: permalloy, magnetic alloy, magnetic hysteresis, magnetic permeability ABSTRACT: High temperatures may permanently damage square-loop magnetic materials. The author has applied magnetic fields during the heating of core samples, and has found that under some conditions their magnetic properties are less degraded, or even improved, with heat. Sample batches of type 37NKDP Permalloy were placed in steady-state and alternating fields of 40 amp/m and 300 amp/m while undergoing heat cycling. One control batch was cycled without any external field. The program included ten one-hour cycles at 400, 450, and 500C, with one-hour cooling periods between each cycle. Fig. 1 shows the effect on remanence in the test samples. Other results are described where annealing temperatures up to 7000 were applied, after which remanence, saturation induction,

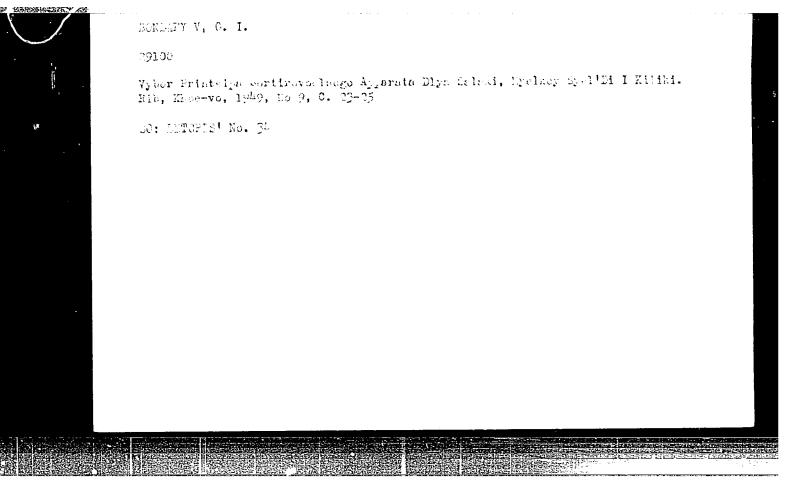
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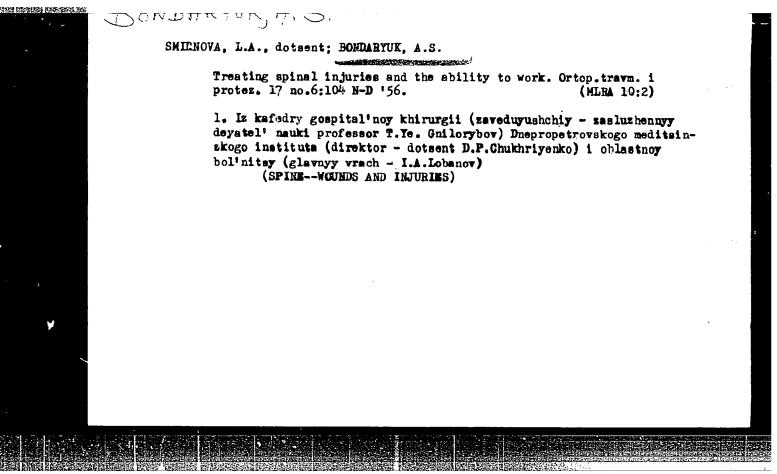




SMIRNOVA, L.A.; SERGEYEVA, T.I.; MEN', M.L.; HONDARYHK, A.S.; KARARLITSKAYA, Ye.A.; DUBOVIK, V.Ye.; YAROSH, A.P.; ZELENSKAYA, G.Ie.

In memory of T. M. Stepanov. Khirurgiia, Moskva no. 4:91-92 Apr 1953.

1. Obituary.



IL'YASHENKO, Sergey Mikhaylovich [deceased]; TALANTOV, Aleksey Vasil'yevich; POLGARSKIY, A.V., doktor tekhn. nauk, retsenzent; HESPALOV, I.V., kand. tekhn. nauk, retsenzent; KIYACHKO, L.A., kand. tekhn.nauk, retsenzent; CHUMACHENKO, B.N., inzh., red.; BONDARYUK, M.M., doktor tekhn. nauk, prof., red.; POPOV, A.V., red.

[Theory and design of direct-low combustion chambers] Teoria i raschet priamotochnykh kamer sgorania. Moskva, Mashinostroenie, 1964. 305 p. (EIRA 17:12)

PHASE I BOOK EXPLOITATION

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Bondaryuk, Mikhail Makarovich and Il'yashenko, Sergey Mikhaylovich

- Pryamotochnyye vozdushno-reaktivnyye dvigateli (Ramjet Engines) Moscow, Oborongiz, 1958. 391 p. 10,000 copies printed.
- Ed. of Publishing House: Petrova, I. A.; Tech. Ed.: Rozhin, V. P.; Revlewer: Shchetinkov, Ye. S., Doctor of Technical Sciences, Professor; Ed.: Makarov, B. V., Engineer; Managing Ed.: Sokolov, A. I.
- FURPOSE: This book is intended for engineers, specialists in aircraft-engine design and for students of aviation vuzes who are acquainted with basic thermodynamics and gas dynamics.
- COVERAGE: The authors state that this book is the first attempt at a generalized compilation of information indispensable for understanding the physical processes of ramjet engines (hereafter abbreviated RJE) and also for analysis of their gas dynamics and thrust. Source materials for this book included monographs and periodical articles in Soviet and foreign technical publications, and also some research work of the authors.

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Ramjet Engines

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Information is given on the theory, characteristics and design of subsonic and supersonic RJE's. The authors analyze the theory of RJE's and of basic engine components such as diffusors, combustion chambers and jet nozzles. They consider both molecular and nuclear propellants. In cases where no information could be found on certain parameters, for instance the coefficients of heat transfer in the combustion chamber or local internal drag in these chambers, the authors give only a qualitative analysis of the problem. Only 33 percent of the sources used were Soviet. In the last four chapters, "Subsonic RJE", "Supersonic RJE", "Atomic RJE" and "Prospects for RJE Development", only 13 percent of the cited references are Soviet. The authors mention Soviet scientists B. S. Stechkin and N. A. Merkulov, who designed, built and tested a subsonic RJE in 1939.

In Chapter I, on classification and uses of jet engines, the authors divide reaction engines into two categories, rocket engines and air-breathing jet engines. Several comparative graphs, taken from Marquardt's "Future of Ramjet Engines," American Aviation, 1954, show various engine parameters such as specific thrust per weight unit versus M, specific fuel consumption, and flight distance. Photos are taken mainly from U. S. sources. There are 19 references, of which 11 are Soviet (including 6 translations), 6 English and 2 French.

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Ramjet Engines

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Chapter II, Fundamentals of Gas Dynamics," reviews the general laws of gas dynamics, and describes various phenomena of a supersonic flow. There are 11 references, all Soviet (including 3 translations). In Chapter III, on ideal RJE's, the authors define ideal engines as engines in which the dissipation of kinetic energy and thermic losses equal zero. The authors state that on the basis of this idealization rather simple equations are obtained and the analysis of the RJE thrust parameters is made possible. Ideal values represent optimum limits with which parameters of real engines may be compared. There are 8 references, of which 3 are Soviet, 2 English, 2 French and 1 German. diffusers. Subsonic (M < 1), near-sonic (M = 1-2), Chapter IV discusses and supersonic (M > 2), d'ffusers are distinctly différent. The work of real diffusers is characterized by losses due to friction and to shock phenomena. The authors describe various aspects of diffusers and analyze their behaviour in a supersonic flow. Special consideration is given to multiple-shock diffusuers. Their performance is analyzed in design and off-design operating condi-There are 6 references, 2 of which are Soviet, 2 English, 1 French, and tions. 1 German. In Chapter V, "Jet Nozzles," the authors establish general equations of flow through nozzles, describe subsonic and supersonic nozzles, analyze energy Card 3/17

Ramjet Engines

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losses and give the equation of the impulse of gases and of the coefficient of losses of the impulse. They describe nozzle performance in off-design operating conditions. They also describe variable-area nozzles and give the principle for determining their profile and design. There are 14 references, of which 8 are Soviet (including 1 translation) and 6 English.

Chapter VI, "Basic Information on Molecular Fuels Used in RJE's and Their Combustion," describes characteristics which RJE fuels should have end gives basic data on the combustion of the air-fuel mixture. There are 30 references of which 14 are Soviet (including 5 translations) and 16 English.

In Chapter VII, "Mixture Formation," the authors describe special features of the fuel-air mixing process in RJE's. They analyze direct-jet injectors and centrifugal (swirl) injectors, fuel atomization and influence on it of injector type and fuel characteristics. They also consider varporization of the atomized fuel and describe a method of experimental determination of local fuel concentrations. There are 25 references, of which 18 are Soviet (including 6 translations) and 7 English.

Chapter VIII, on combustion chambers, describes and gives a schematic diagram of test stands for RJE combustion chambers. The authors classify combustion chambers as subsonic and supersonic. Both kinds might be for single-range and multi-range operating conditions. From the point of view of the

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combustion process, chambers may be subdivided into single-shell and double-shell types. Both kinds may be of a vortex or stable-flow type. The authors also mention electrical and compression ignition, jet-swirl and pneumatic injection, and progressive and instant mixing. There are 19 references, of which 9 are Soviet (including 3 translations) and 10 are English.

In Chapter IX, "Subsonic RJE's," the authors describe the essential features of a subsonic RJE, and define its efficiency (7 percent) on the basis of the maximum obtainable intake pressure in a subsonic flight (1.89 times the atmospheric pressure). They give a method of analysis of these engines by successive approximations, and a method of computation of thrust characteristics of a real engine. They describe the most economical operating conditions and the speed and altitude characteristics of subsonic RJE's. They also mention various applications of subsonic RJE's. There are 14 references, of which 4 are Soviet and 10 English.

Chapter X, concerns "Supersonic RJE's." With modern fuels or atomic power the speed of continuous flight will be limited by the heat resistance of materials. At speeds of M > 6, the temperature from friction is higher than the melting point of steels. At $M \approx 4$, the specific consumption of fuel of a supersonic RJE is lower and the efficiency higher (more than 40 percent) than for any other type of engine. Various applications of supersonic RJE's are Card 5/17

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given as reported in the non-Soviet press. There are 30 references, of which 2 are Soviet, 21 English, 5 German, 1 Italian and 1 French.

Atomic RJE's are discussed in Chapter XI. The authors state that Atomic RJE's would use a controlled fission reaction of atomic nuclei in a reactor for heating the flow of air. In these engines the reactor would take the place of the combustion chambers of conventional RJE. Two kinds of heat exchange may take place: 1) direct heating, in which air would be heated by flowing through the reactor, and 2) indirect heating, where air would be heated by flowing through a radiator heated by an intermediate fluid circulating from the reactor. There are 10 references, of which 6 are Soviet (including 4 translations), 3 English and 1 French.

Chapter XII, "Prospects for RJE Development," contains conclusions reached by the authors in regard to velocities and altitudes, engine components, and nuclear, ion and other possible sources of energy for RJE's. They consider that further development of the RJE will be achieved by improvement of its elements, such as diffusers, combustion chambers and nozzler, and also by the use of new sources of energy. RJE characteristics are inferior to those of other types of jet engines in the speed range M=0.8 to M=2.5 and at present their application seems to be restricted to single-operation aircraft, such as guided missiles, and to some types of rotor-tip engines for helicopters. There is no

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information available in the technical literature on Mach-3 turbojet engines. It seems, however, that the Mach-3 turbojet may compete with RJE's if lubrication problems at high temperatures are solved. According to computations, the optimum rate of precompression in a turbojet compressor approaches unity at Mach 4. This means that if speed increases sufficiently the turbojet engine changes into a RJE. Altitudes greater than 25 km. and M > 3 velocities are said to belong to RJE's and rockets. The pressure ratio of coefficient in fixed-area multi-shock diffusers decreases when the speed for which the diffuser was designed increases (if M = 2.75, $\sigma = 0.7$, then M = 3.5 $\sigma = 0.55$). Combustion chambers of a stabilizing type in which a turbulent combustion of twophase mixtures takes place are described in open sources. Further development of combustion chambers may consist of 1) improvement of methods of preparation of the fuel mixture, 2) reduction of hydraulic resistance of the chamber with simultaneous increase in completeness of combustion by means of changing from stabilization on poorly streamlined bodies to other types of stabilization, 3) application of self-igniting fuels, 4) operation of combustion chambers at low internal air pressures, 5) simplification of combustion-chamber design by the adoption of self-ignition, 6) reduction of weight, length, and hydraulic resistance, 7) increase of thrust. Improvement may be achieved by the use of

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variable-area nozzles. There is no possibility of improvement of fixed-area nozzles. Engines working in various operating conditions must be provided with variable-area nozzles. The large store of energy accumulated in the ionized gas of the ionosphere may eventually be utilized in RJE's by means of a catalyst or by other devices. The authors mention the Soviet scientist Ya. B. Zel'dovich, who works in this field. The authors consider nuclear reactors for RJE's an immediate problem, and radioactive isotopes are mentioned as a possible source of energy. Beta batteries using artificial radioactive isotopes and producing electrical energy directly by radioactive decomposition are also mentioned as a potential source of energy for RJE's. At the end of the book 5 graphs of gasdynamic functions are given:

1.
$$\tau(\lambda) = 1 - \frac{k-1}{k+1} \lambda^2$$

2.
$$\pi(\lambda) = [\tau(\lambda)] \frac{k}{k-1}$$

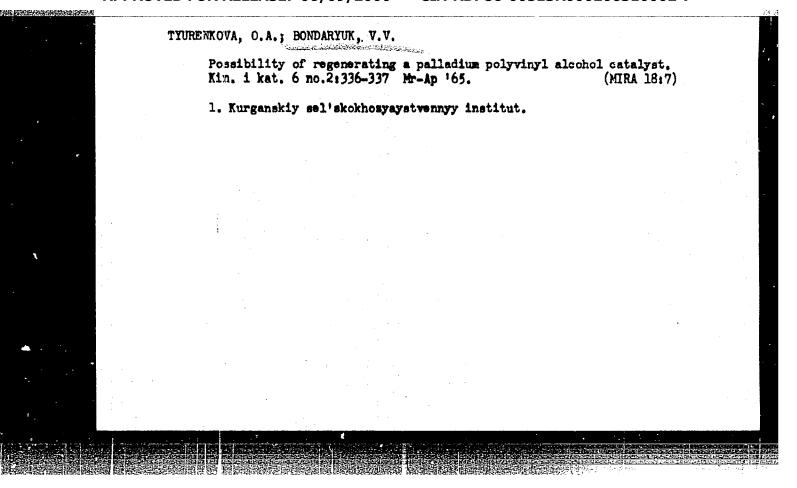
3.
$$\varepsilon(\lambda) = [\tau(\lambda)] \frac{k}{k-1}$$

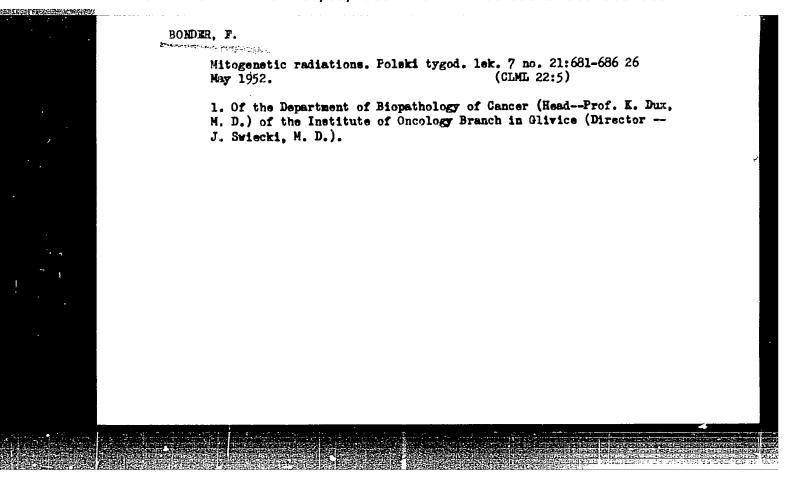
3.
$$\varepsilon(\lambda) = [\tau(\lambda)] \frac{k}{k-1}$$
4.
$$q(\lambda) = \lambda \varepsilon(\lambda) = \lambda (1 - \frac{k-1}{k+1} \lambda^2) \frac{k-1}{k-1}$$
5.
$$z(\lambda) = \lambda + \frac{1}{\lambda}$$

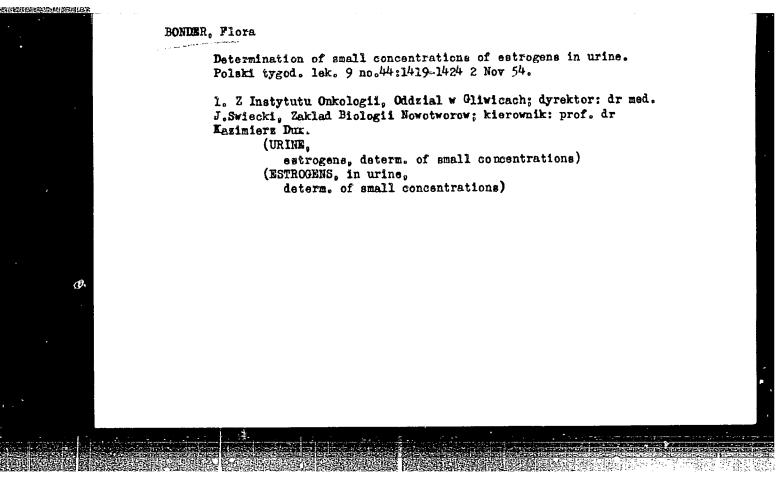
Card 8/17

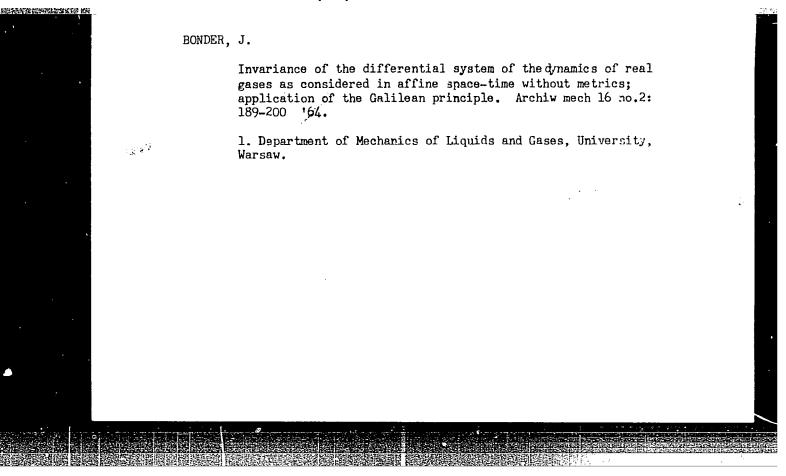
5.
$$z(\lambda) = \lambda + \frac{1}{\lambda}$$

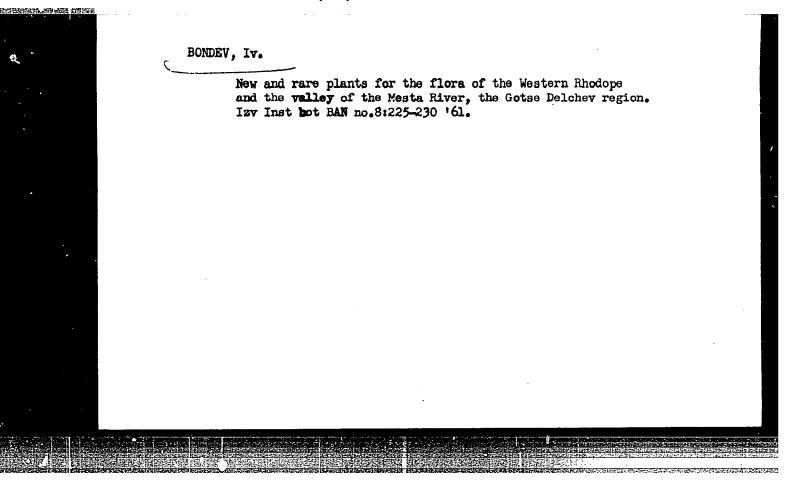
585 Ramjet Engines and 5 entropy diagrams of dissociated combustion products of kerosene. The authors mention the following scientists responsible for elaboration of the supersonic RJE theory: S. F. Abramovich, B. S. Stechkin, and Zhuyev. In other fields Ye. S. Shchetinkov, G. I. Petrov, E. P. Ukhov, and I. A. Merkulov are mentioned. TABLE OF CONTENTS: 3 Preface Symbols 5 Ch. I. Jet-engine Classification and Fields of Application 1. Classification of jet engines 10 18 2. Jet-engine parameters 3. Duration and flight distance 21 4. Fields of application of various types of jet engines 24 Biblingraphy 31 Card 9/17



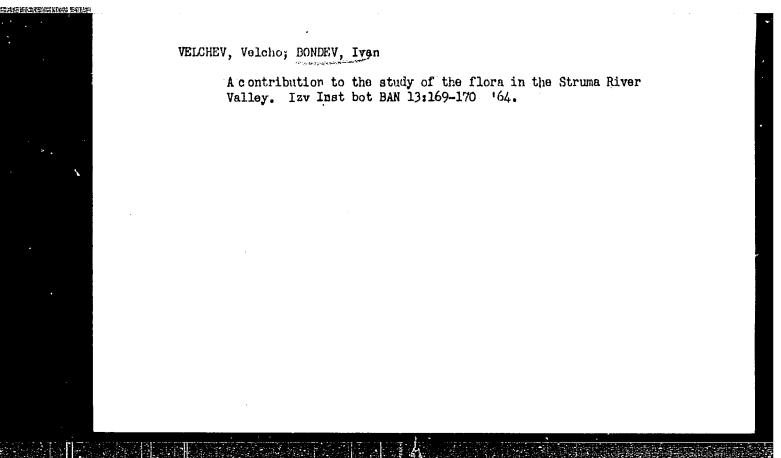


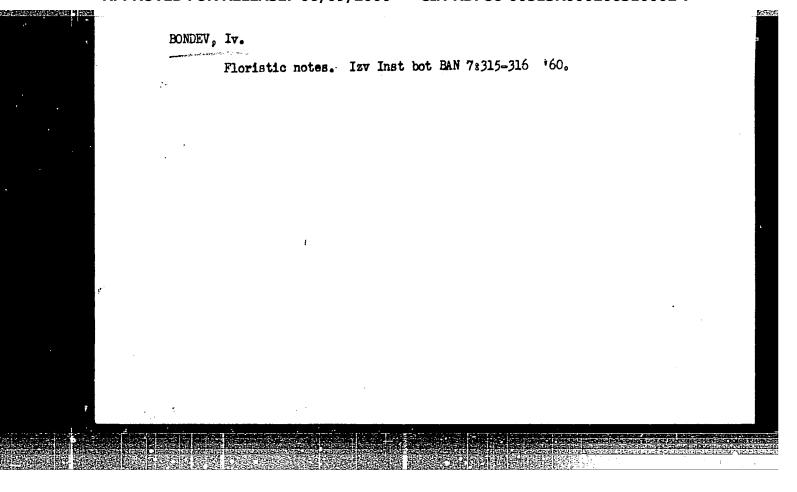


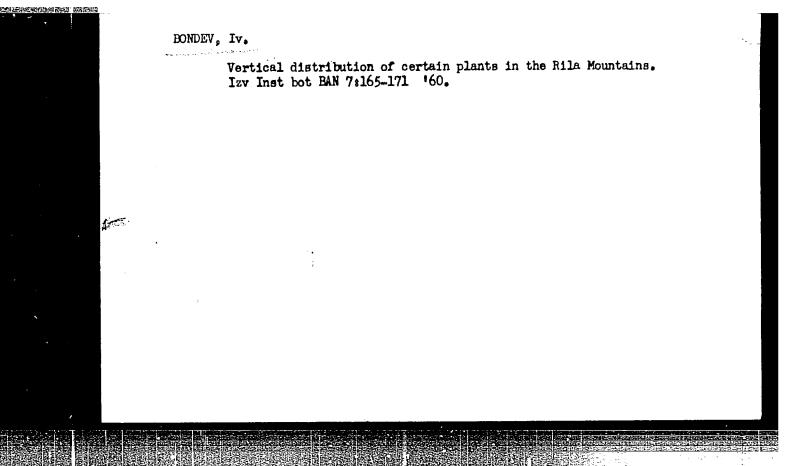


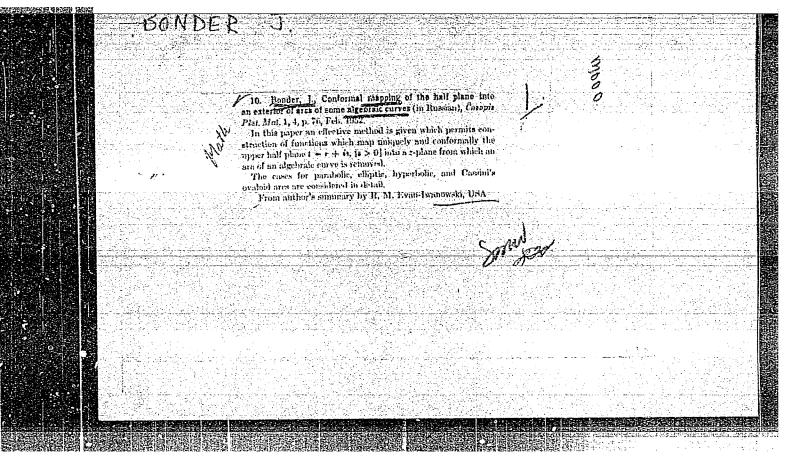


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	A contribution to the flora of the Northwestern Bulgaria. Izv Inst bot BAN no.8:231-237 61.	
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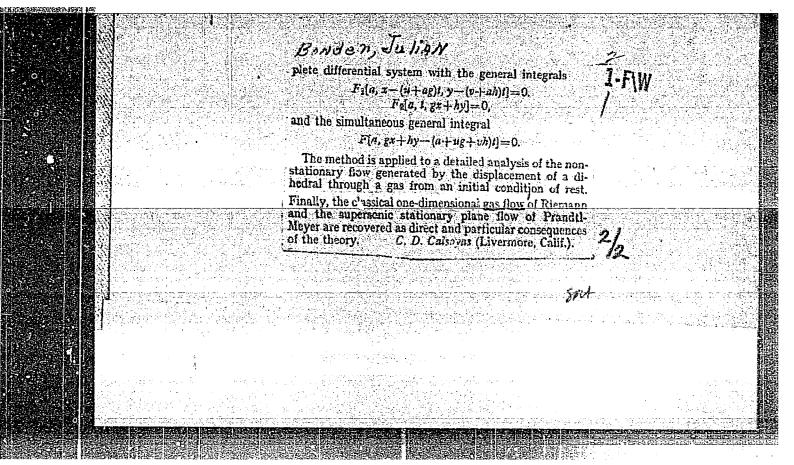








BONTER, D. Bonder, Julian. Ondes simples dans its ecoulements compressibles plans an regime, non stationastic. Arch. Interch. Stor. 8 (1956), 647-670. Mech. Stor. 8 (1956), 647-670. Non-stationary, isentopic flows of a perfect gas, in the plane are treated by seeking solutions of the equations of motion in the form of generalized, simple waves. The sound lipsed a depends on a single variable (the density ρ or the pressure ρ). There are two relations between the sound speed and the flow components, $x=f_1(a)$ and $v=f_2(a)$, from which we have $du/dn=2(k-1)^{-1}h(a)$. Hence, the equations of motion transform to the homogeneous linear system $a_1 + (u+ag)a_2 + (v+ah)a_2 = 0,$ $a_2 + (u+ag)a_2 + (v+ah)a_2 = 0,$ $a_3 + (u+ag)a_2 + (v+ah)a_2 = 0,$ $a_4 + (u+ag)a_2 + (v+ah)a_2 = 0,$ $a_4 + (u+ag)a_2 + (v+ah)a_2 = 0,$ for the single unknown function $a(t, x, y)$. This is a com- for the single unknown function $a(t, x, y)$. This is a com-	BENEFACE BE			
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BONDER, Julian

Sur les fonctions réalisant les représentations conformes et biunivoques d'un demi-plan sur les extérieurs des arcs de certaines courbes algébriques. Czechoslovak Math. J. 1(76) (1951), 203-228 (1952) = Cehoslovack. Mat. Z. 1 (76) (1951) 229-257 (1952).

Let whe a given simple analytic arc in the complex **c**-plane such that there exists an n-valued algebraic function **c** (a) all of whose branches map nonto circular arcs. This paper is concerned with the investigation of the function which maps the schlicht upper half plane **r** (b) onto the complement of a. The author proves that the Schwarzian derivative of the composite function (b) is again an n-valued algebraic function, say (c) If the Riemann surface on which (d) is single-valued is of genus zero, the Riemann surface R of F(t) is of genus one and f(t) can be expressed in terms of elliptic functions if it is possible to determine the branch-points of and the poles and residues of F(t); in all other cases the genus of f(t). The author illustrates his theory by carrying out the computation of f(t). The author illustrates his theory by carrying out the computations in the cases in which is an arc of a conic or of a Cassinian. The reviewer wishes to point out that all these mappings can be constructed much more simply by elementary direct methods (see the reviewer's "Conformal mapping" [McGraw-Hill, New York, 1952, Chap. VI, sec. 4; these Rev. 13, 640]).

Z. Nehari (ST. Louis, Mo.).

PONDER, J., DROBOT, S.

Critical remarks on the so called rational theory of turbulent flow and its applications. p. 85. (ARCHIWUM HYDROTECHNIKI. Vol. L, no. 1, 1957, Warsaw, Poland)

SO: Monthly List of East European Accessions (EEAL) LC, Vol, ℓ , No. 9, Sept. 1957 Uncl.

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24.4.00 AUTHOR:

16.390

Bonder, Julian (Warsaw)

TITLE:

On a symmetric space-time form of the equations of gas

dynamics and some of its applications

PERIODICAL: Archivum Mechaniki Stosowanej, v. 14, no. 3-4, 1962,

289-310

TEXT: After considering the close connections of the basic problems \ of gas dynamics with general field theory, the author shows that, in the case of nonsteady flow, the classical system of differential equations is nonsymmetric, with respect to both independent and dependent variables. Hence it is impossible to apply the methods of tensor analysis and multidimensional geometry to such a system. Following the same general ideas as those used by E. Cartan, the author considers the nonstationary flow of an ideal compressible gas in a four-dimensional Euclidean space, which has a suitable positive definite metric, the problem being analyzed according to classical (nonrelativistic) mechanical principles. A rectilinear orthonormal coordinate system is introduced. For every point II of a Card 1/4

On a symmetric ...

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curvilinear coordinate system a field of contravariant vectors $\mathbf{u}^{\Lambda}(\mathbf{M})$ is introduced, such that the initial coordinate system of its components satisfies

$$u^{k} \stackrel{*}{=} \begin{cases} \rho \tilde{v}^{c}, & \text{if } k = c = 1, 2, 3 \\ \rho , & \text{if } k = 4 \end{cases}$$
 (2.8)

or

$$\widetilde{\rho} \stackrel{\text{df}}{=} \rho/\rho, \ \widetilde{v}^{c} \stackrel{\text{df}}{=} v^{c}/v, \ v \stackrel{\text{df}}{=} 1/t \\
0 0 0 0 0 0$$
(2.81)

where ρ is an arbitrary constant. The system $\overset{\Psi}{=}$ indicates that this 0

equality is only valid with respect to the initial coordinates. A symmetric system of differential equations is derived. By applying the principles of tensor analysis the author finds an invariant form for the equations of gas dynamics:

Card 2/4

On a symmetric ...

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and a homogeneous quadratic form for the metric in a general curvilinear coordinate system. As an example of the application of these methods the author proves the following theorems: 1) In a simple isodynamic wave, the tangents at corresponding points of its two hodographs have orthogonal directions; 2) a simple isodynamic wave can only have irrotational motion; 3) isodynamic surfaces are hyperplanes. These theorems have not previously been obtained in so general a form or by such direct methods. The most important Englishanguage reference reads: J. Bonder, Tensor Methods in the Theory of Non-Steady Three-dimensional Flow of the Double Wave Type, Appl. Math. Mech. (Pergamon Press, N. Y.), 6, 24, (1960).

Card 3/4

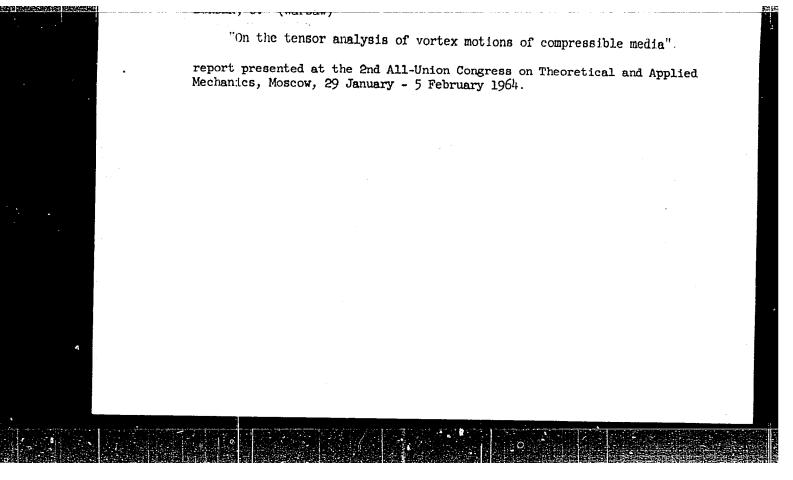
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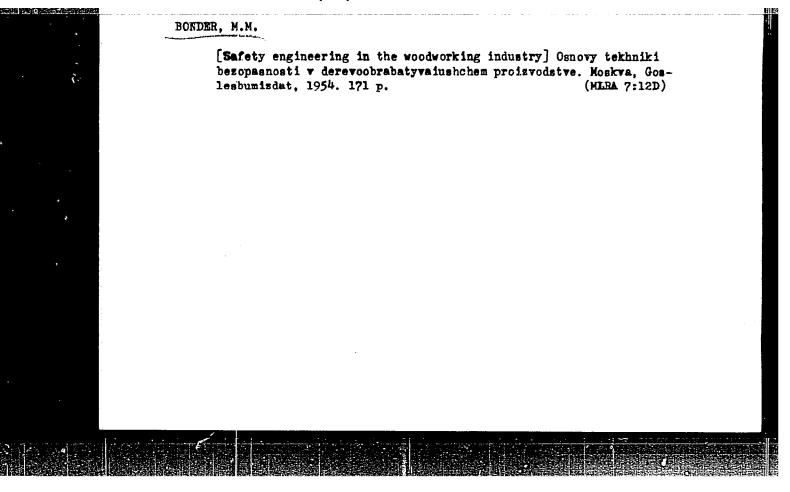
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ASSOCIATION: Division de mécanique de fluides IPFT, Académie Polonaise de Sciences (Division of Fluid Mechanics, IPFT,

Polish Academy of Sciences)

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16.7600

AUTHOR: Bonder, Yu. (Warsaw)

TITLE: On the Tensor Method in the Theory of Instationary Three-Dimensional Flows of the Type of a "Double Wave"

PERIODICAL: Prikladnaya matematika i mekhanika, 1960, Vol. 24, No. 6, pp. 1079-1087

TEXT: The author considers an isentropic gas motion without shock waves in a Euclidean R_4 with the spatial coordinates x = x, x = y, $x^3 = z$ and with $x^4 = v^0t$, where t is the time and v^0 has the dimension ms⁻¹. If $v(v_1, v_2, v_3)$ is the ordinary velocity vector, then the vector v is introduced by

(1.1) $u_k = v_k$ for k = 1,2,3, $u_k = v^0 = const$ for k = 4. Let H be the "complete enthalpy"

(1.5) $H = \frac{1}{2} (v)^2 + \int_0^2 \frac{c^2}{2} dz = \frac{1}{2} (v)^2 + \frac{c^2}{2c-1}$

where c is the local velocity of sound, 2 isentropic exponent and $(v)^2 = |v|^2 = v_i v^i$. If Card 1/5

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On the Tensor Method in the Theory of Instationary Three-Dimensional Flows of the Type of a "Double Wave"

(2.1)
$$w_{k} = \begin{cases} v_{k} & (k = 1, 2, 3) \\ -H/v^{0} & (k = 4) \end{cases}$$

and the symmetric tensor

(2.8)
$$T^{lm} = c^2 \tau^{lm} - u^l u^m$$
 (1,m = 1,2,3,4)

are still introduced, where the tensor $\overline{\,\,\, t^{\, lm}}$ is determined in the system (x^k) by

then the simple symmetric equation

$$(2.9) T1m $\frac{\theta^{m}}{\theta^{\chi^{1}}} = 0$$$

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On the Tensor Method in the Theory of Instationary Three-Dimensional Flows of the Type of a "Double Wave"

can be written for the most general potential flows of a compressible gas.

If one passes over from rectangular coordinates (x^k) to arbitrary curvilinear coordinates (x^k) , then instead of (2.9) it is put

(3.1)
$$\mathbb{T}^{\lambda_{ll}} \nabla_{\lambda} w_{ll} = 0$$
 $(\mathbb{T}^{\lambda_{ll}} \equiv c^2 \nabla^{\lambda_{ll}} - u^{\lambda} u^{(l)})$

where

where (3.2)
$$\nabla_{\lambda} w_{\mu} = \frac{\partial w_{\mu\nu}}{\partial x^{\lambda}} - \Gamma_{\lambda\mu}^{\nu} w_{\nu}$$

and is the Christoffel symbol of second kind.

Each solution w of (2.9) or (3.1) can be interpreted as mapping of the motion space on a part of the four-dimensional Euclidean space V_A , the local vectors of which are determined by the vector field \vec{w} . The generalized hodograph is called V_A . Such a potential flow which is mapped onto a two-dimensional surface in the V_A is denoted as a double wave (q=2); i. e. a double wave exists, if only q = 2 of the Card 3/5

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On the Tensor Method in the Theory of Instationary Three-Dimensional Flows of the Type of a "Double Wave"

four components of ware independent. Therefore, the author must investigate the mappings

(5.1)
$$w_m = w_m(x^1, x^2, x^3, x^4)$$
 (m = 1,2,3,4),

for which the rank of the matrix $|\partial \mathbf{w}_m/\partial \mathbf{x}^k|$ is equal to two. In \times the motion space \mathbf{R}_{λ} $\{\mathbf{x}^k\}$ there corresponds to each point of the hodograph a surface \mathbb{R}_{λ} which is denoted as isodynamic. The author now proves that the isodynamic surfaces \mathbb{R}_{λ} in the \mathbb{R}_{λ} form a two parameter family of planes described by two linear equations of first order (theorem 1); that the isodynamic plane \mathbb{R}_{λ} is orthogonal to the hodograph surface of the double wave in the corresponding point \mathbb{R}_{λ} (theorem 2), and that on the hodograph surface of an arbitrary double wave along the characteristics there are satisfied the same conditions

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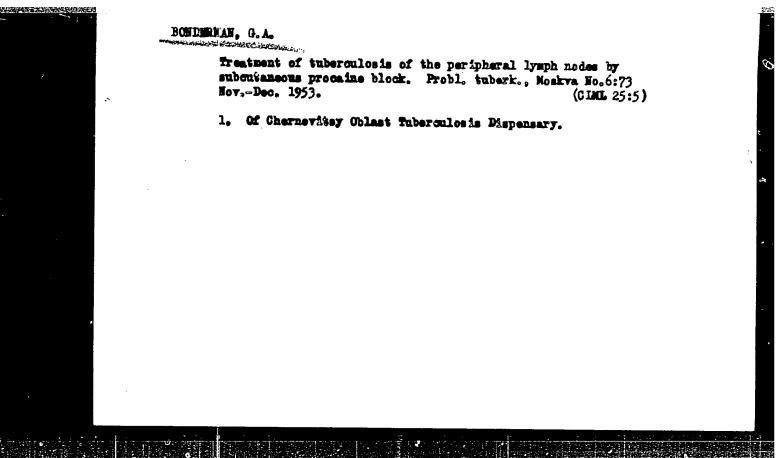
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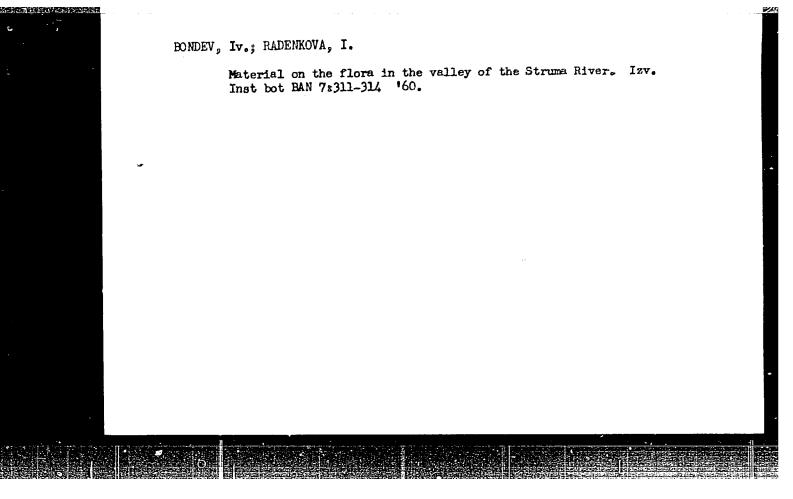
(7.11)
$$ds = \sqrt{(dv_1)^2 + (dv_2)^2 + (dv_3)^2} = \frac{+}{5} \frac{c}{5} ds = \frac{+}{5} \frac{2dc}{c-1},$$
where c is the density as in the

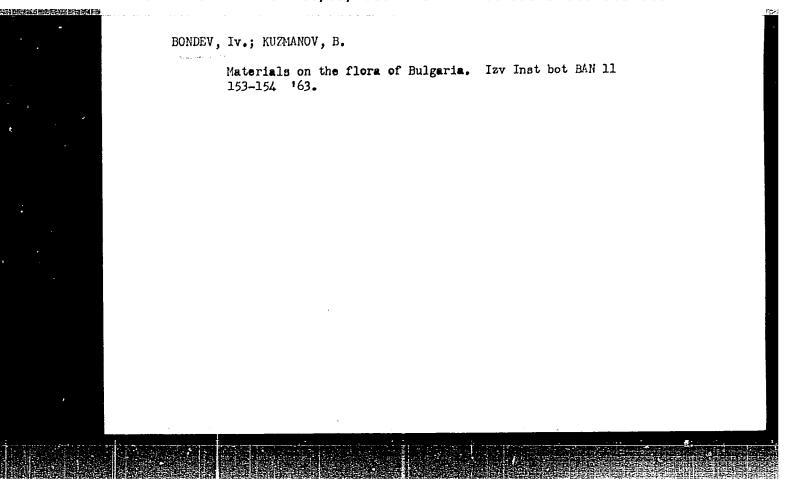
where S is the density, as in the case of a simple wave (see (Ref.4))

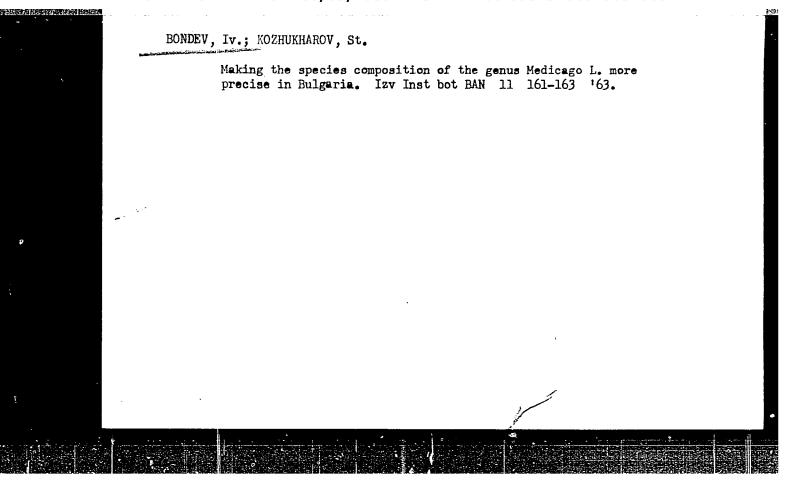
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Card 5/5









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Some new materials in the flora of the Southern Pirin
Mountains, the Struma Valley, and the Slavyanka Mountains.

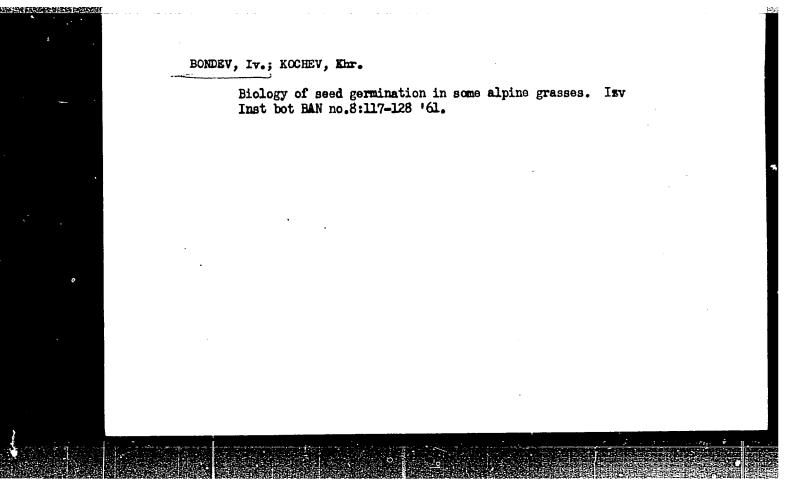
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BONDEV, IVAN ANDREEV.

Rastitelnata pokrivka na visokoplaninskiia raion na iburskoto bilo v iztochna Rila. Sofiia, Bulgarska akademiia na naukite, 1959. 141 p.

Sofiia, Bulgaria, Bulgarska

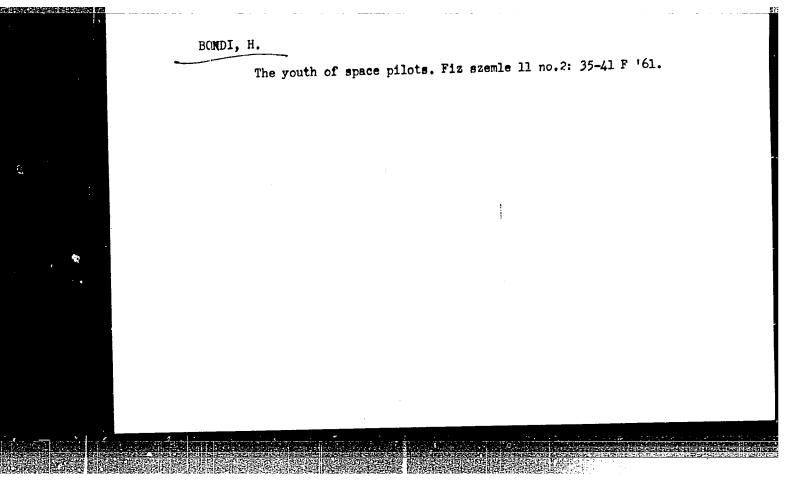
Monthly List of East European Accessions (EFAI) LC, Vol. 8, No. 10, Oct. 1959.

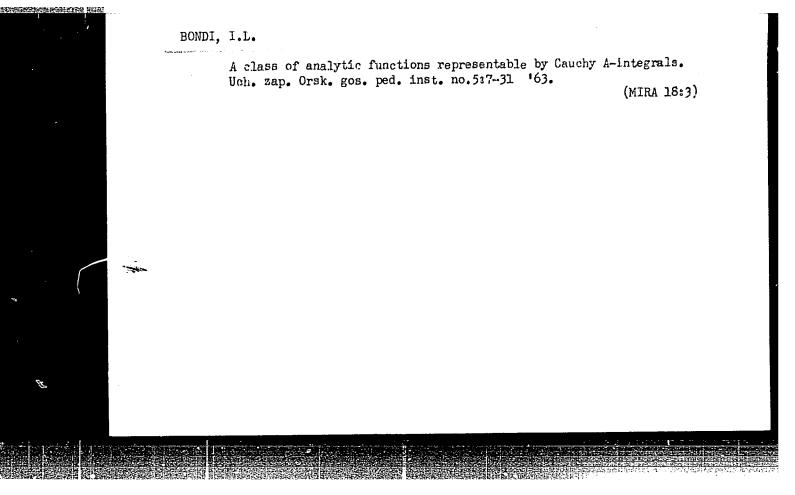


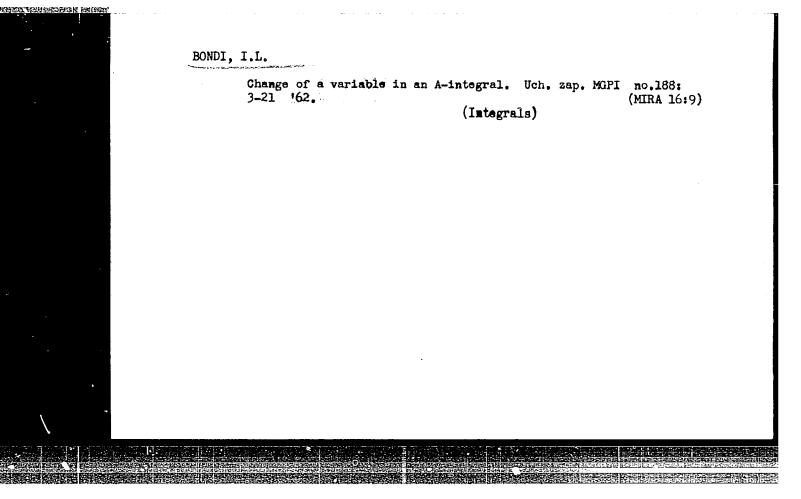
VEICHEV, V.; BONDEV, IV.

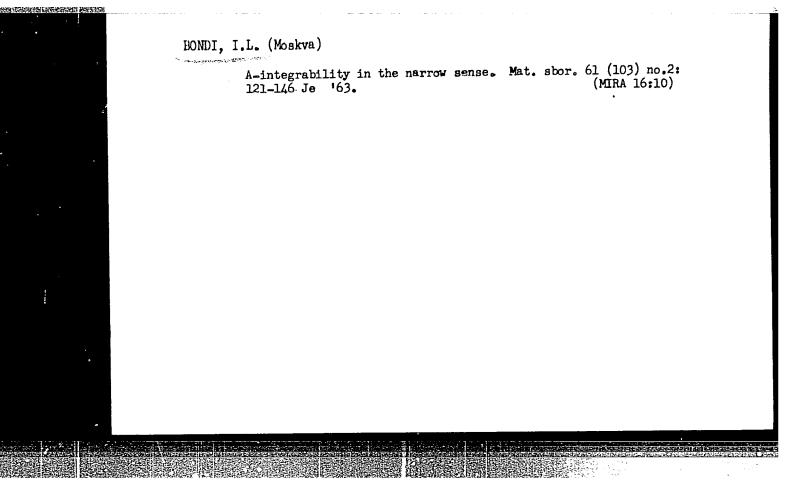
Some new materials for the flora of Bulgaria regarding the valley of the Struma River, south of Kresnenska Klisura. Izv Inst bot BAN no.8:213-223 '61.

1. Chlen na Redaktsionnata kolegiia, "Iavestiia na Botanicheskiia institut" (for Velchev).

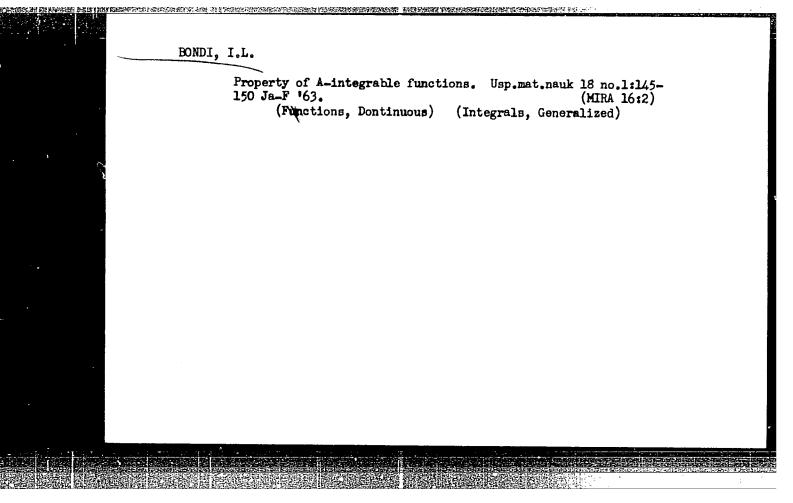


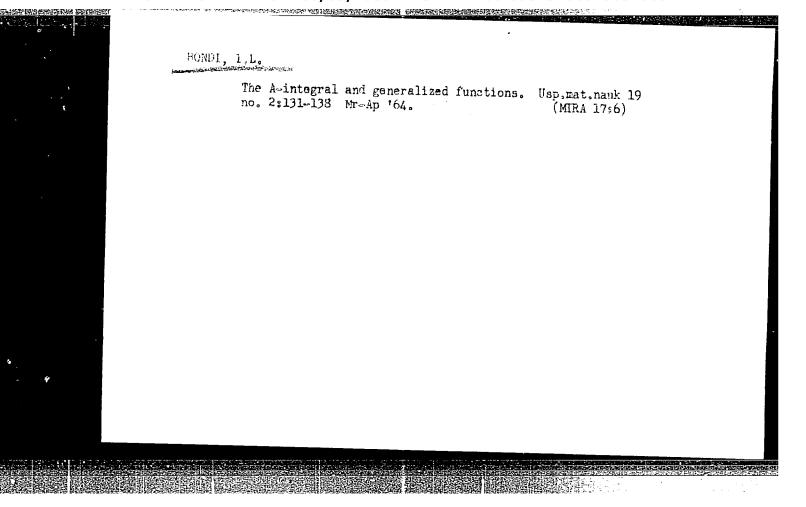






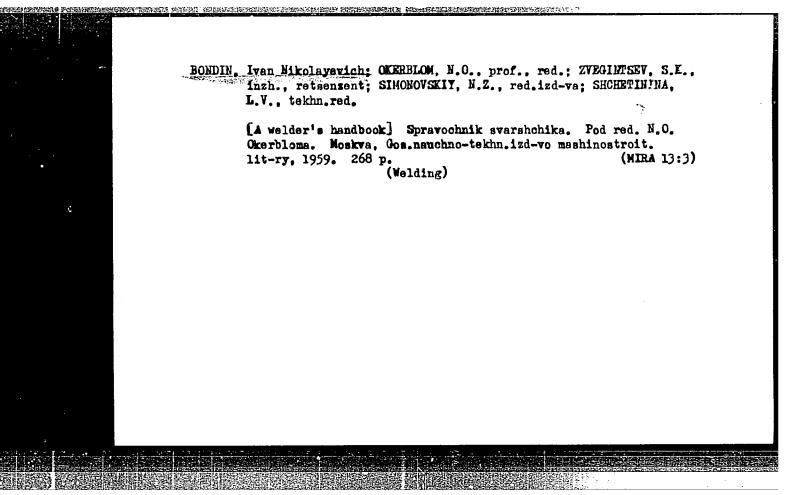
Functions which are A-integrable almost everywhere. SSSR 145 no.3:491-494 Jl 162.	Dokl.AH (MIRA 15:7)
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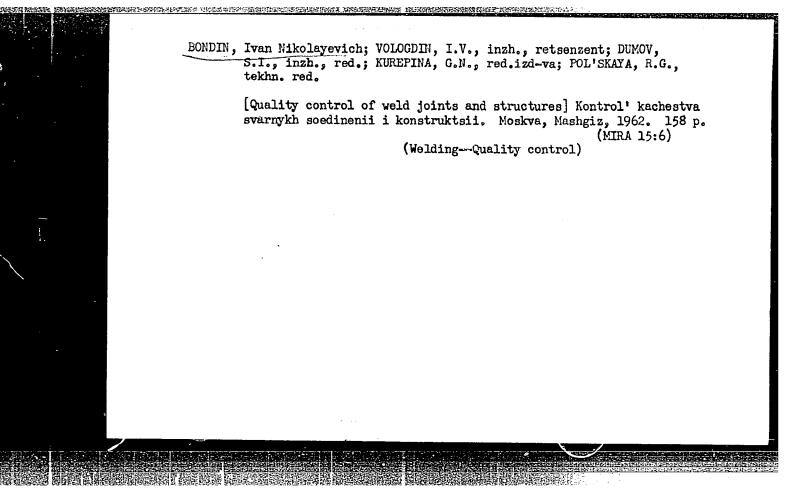




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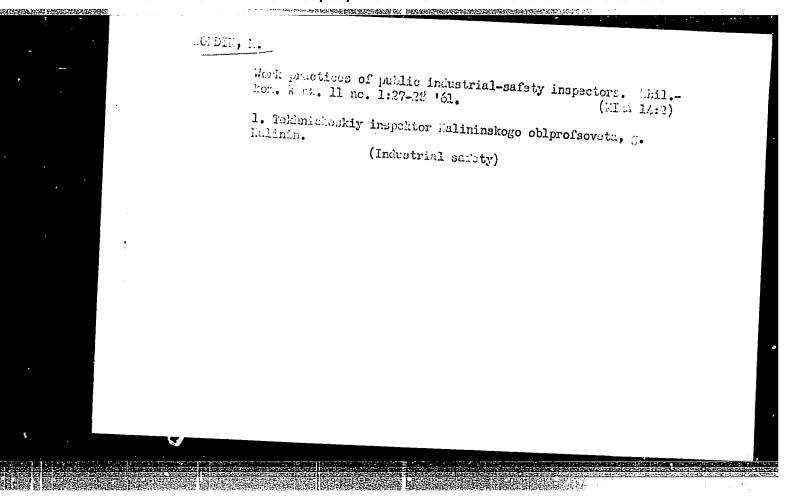


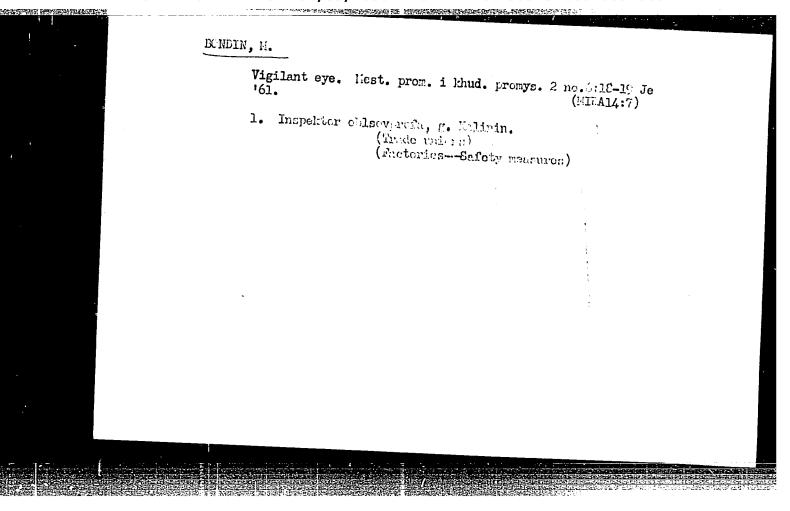


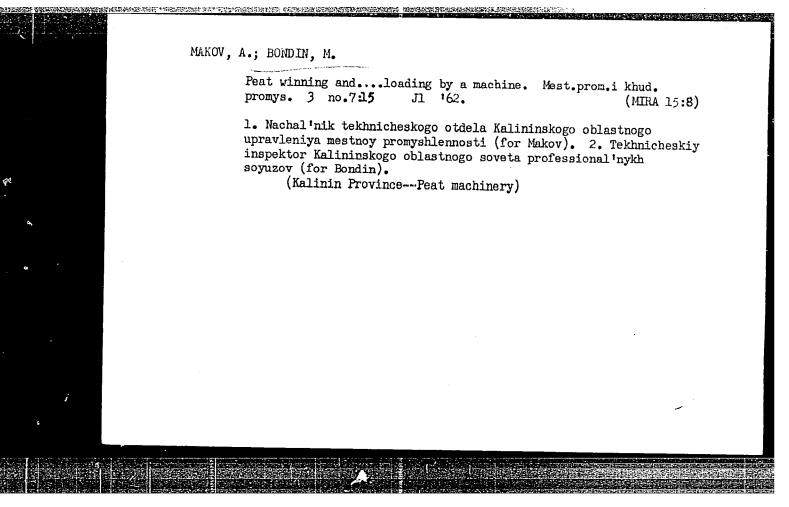
BONDIN, I.N.; RABOTNOV, B.A., inzh., retsenzent; OKERBLEM, M.C.,
zasl. deyatel nauki i tekhniki RSFSR, prof., red.

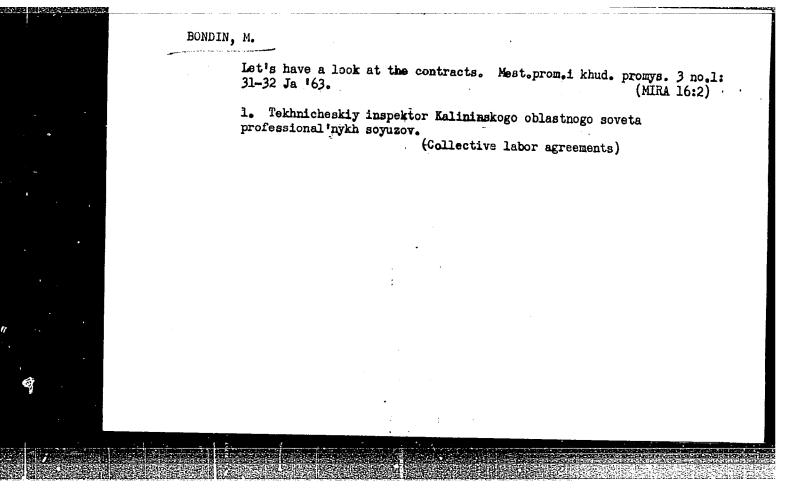
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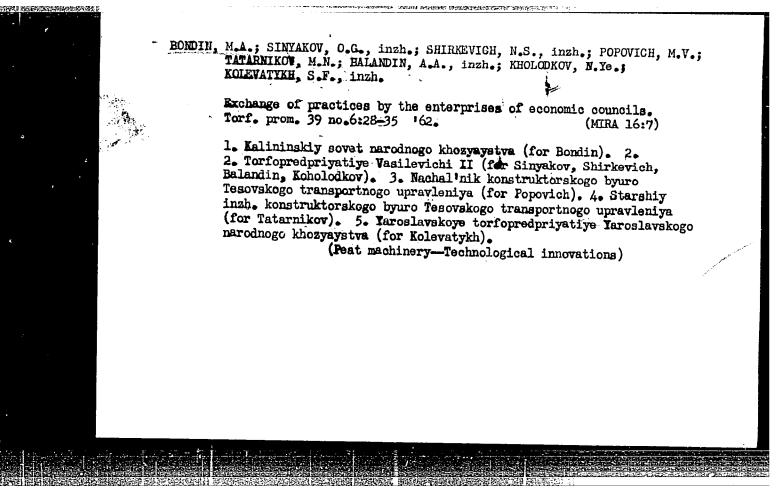
(MIRA 18:5)

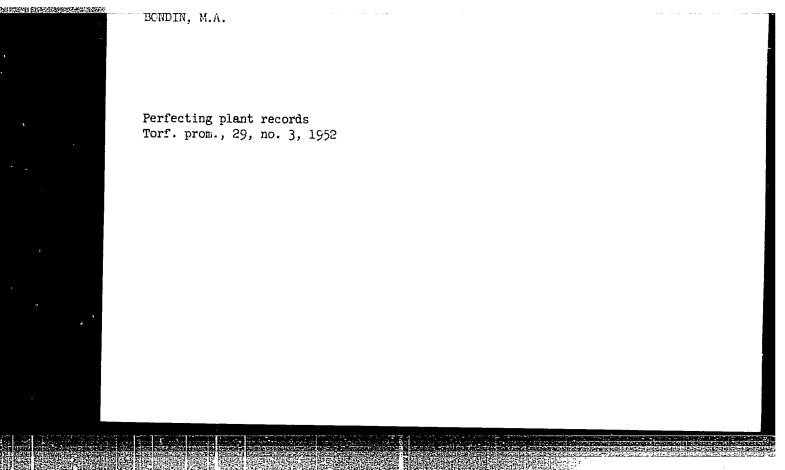








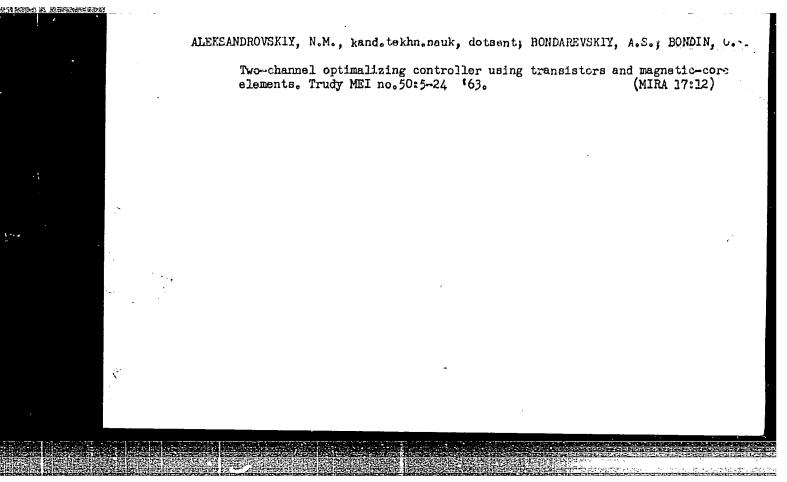




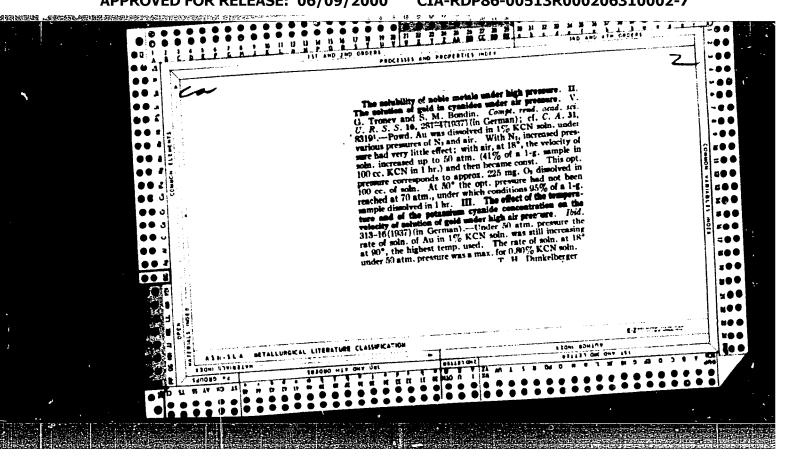
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